

TESCO METERING

Introduction to Polyphase Metering



Mid South Electric Metering Association 73rd Meter School

Wednesday May 7, 2025

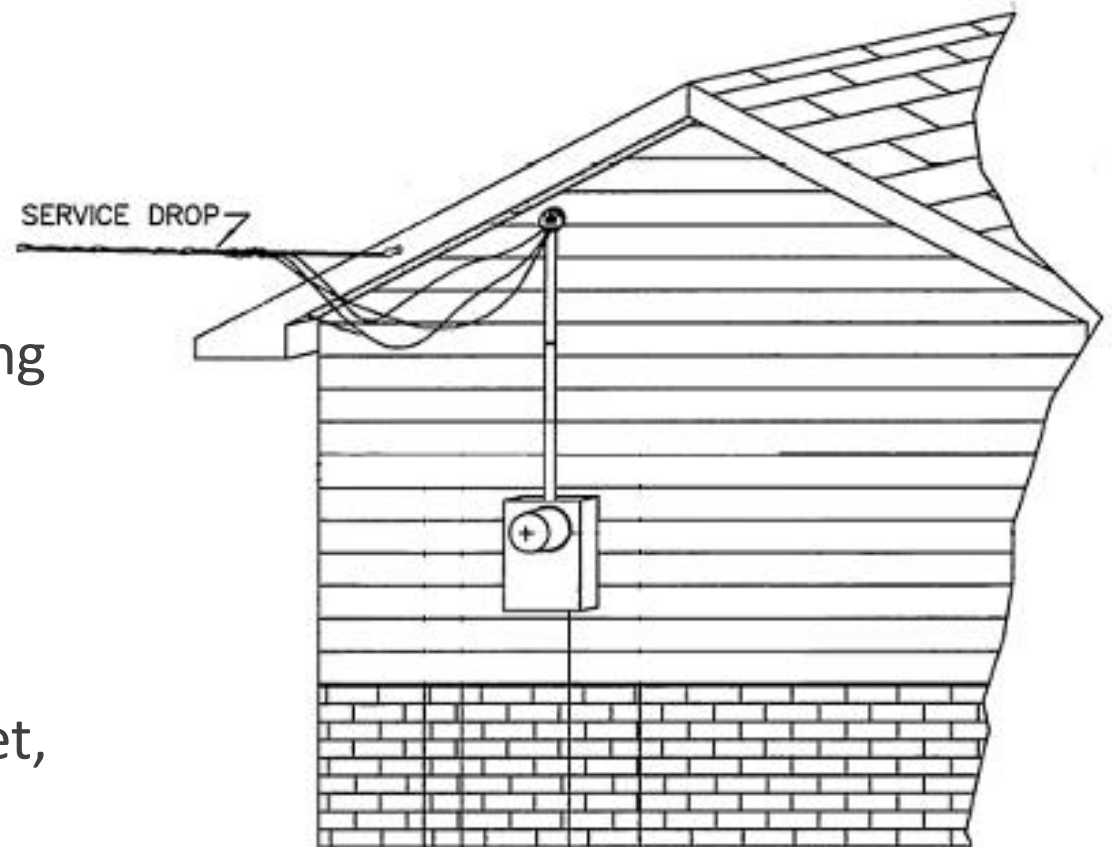
Group 2: 10:00 AM

Tom Lawton

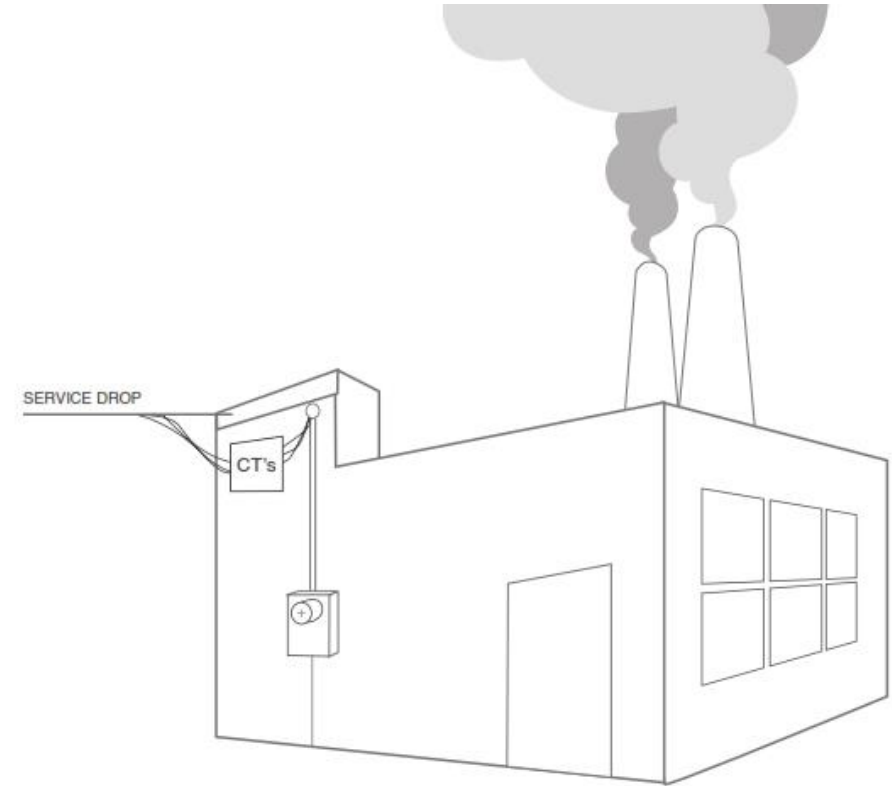
- The Basics - Differences Between Self Contained and Transformer or Instrument Rated Meter Sites
- Brief Discussion of polyphase metering for self-contained and transformer rated applications
- Transformer Rated Meter Forms
- Test Switches and CT's
- Blondel's Theorem and why this matters to us in metering
- Meter Accuracy Testing in the Field
- Checking the Health of your CT's and PT's
- Site Verification and not just meter testing

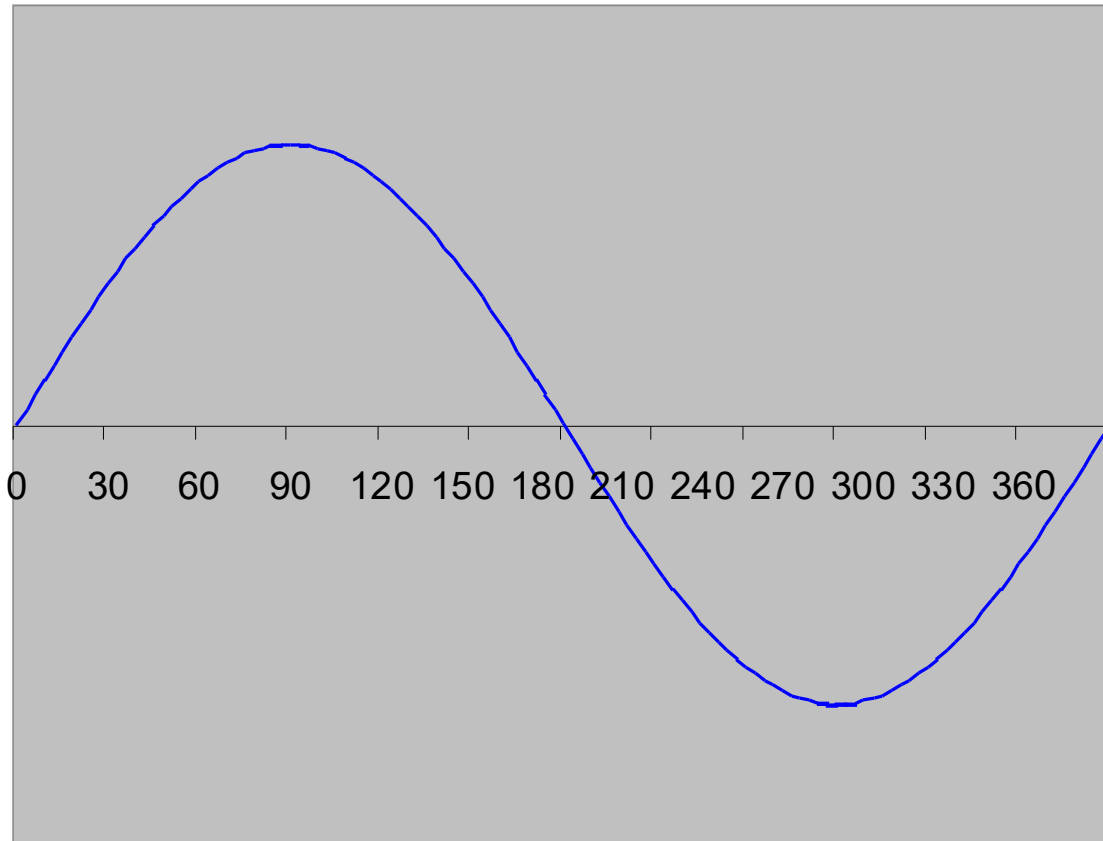


- Typically found in residential metering
- Meters are capable of handling the direct incoming amperage
- Meter is connected directly to the load being measured
- Meter is part of the circuit
- When the meter is removed from the socket, power to the customer is interrupted

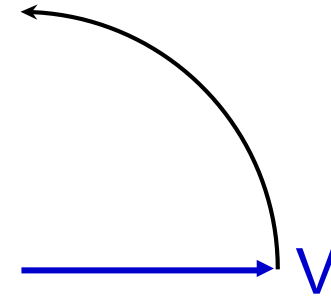


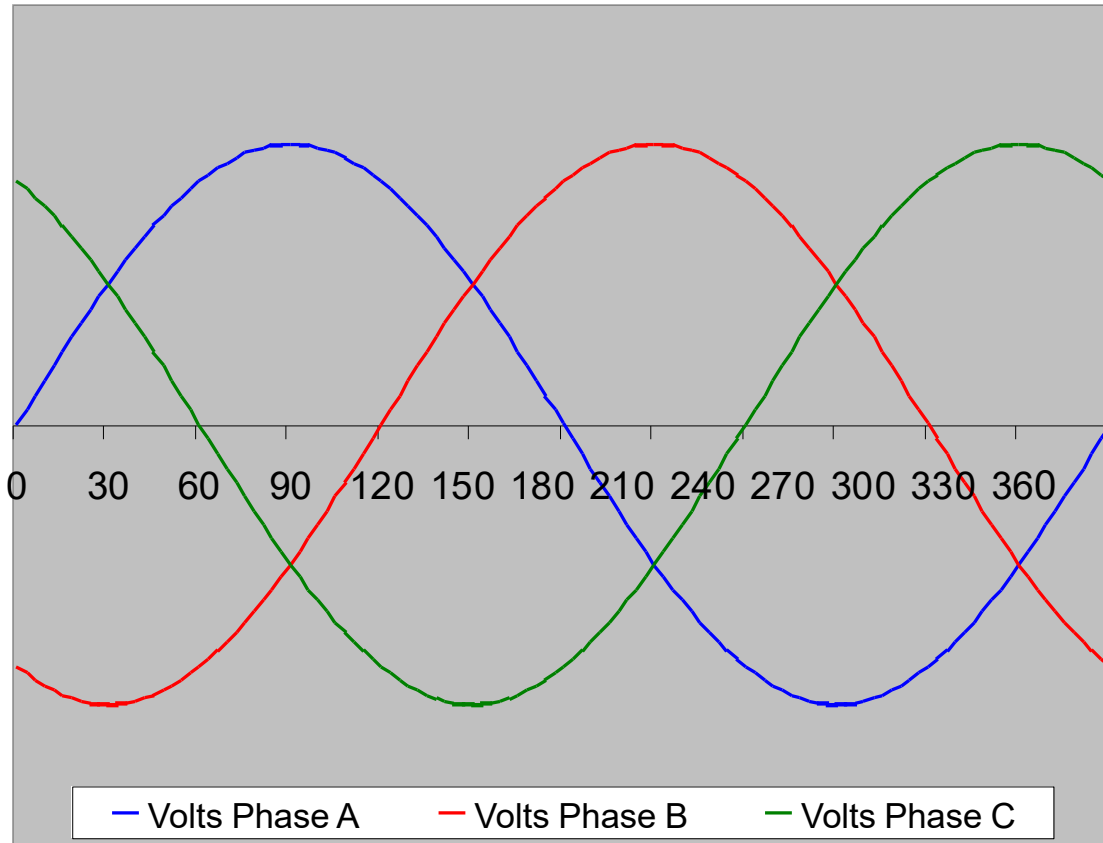
- Meter measures a scaled down representation of the load.
- Scaling is accomplished by the use of external current transformers (CTs) and sometimes voltage transformers or PTs).
- The meter is NOT part of the circuit
- When the meter is removed from the socket, power to the customer is not affected.



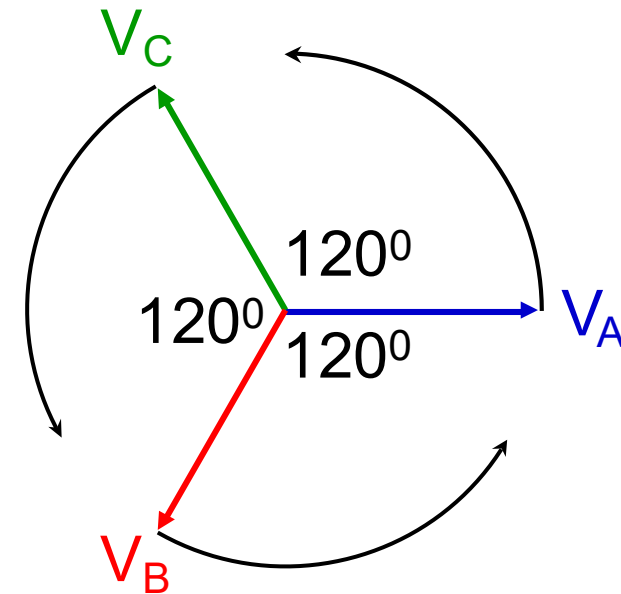


$$\text{Voltage} = V_{\max} \text{ sine } \alpha$$



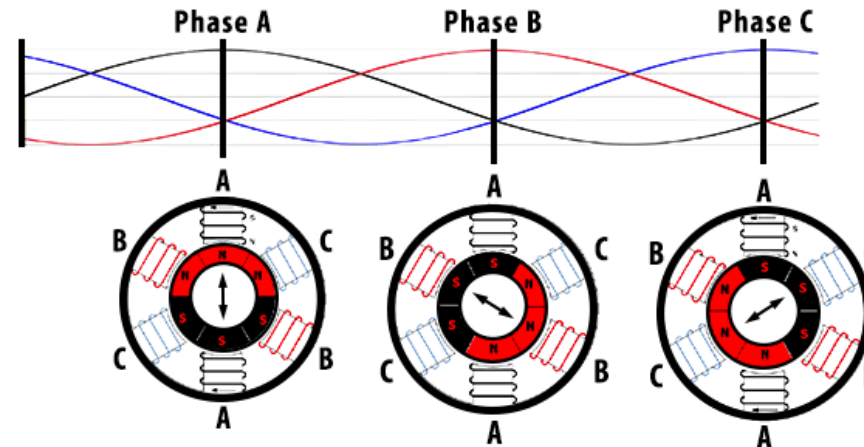


Forward Rotation, ABC

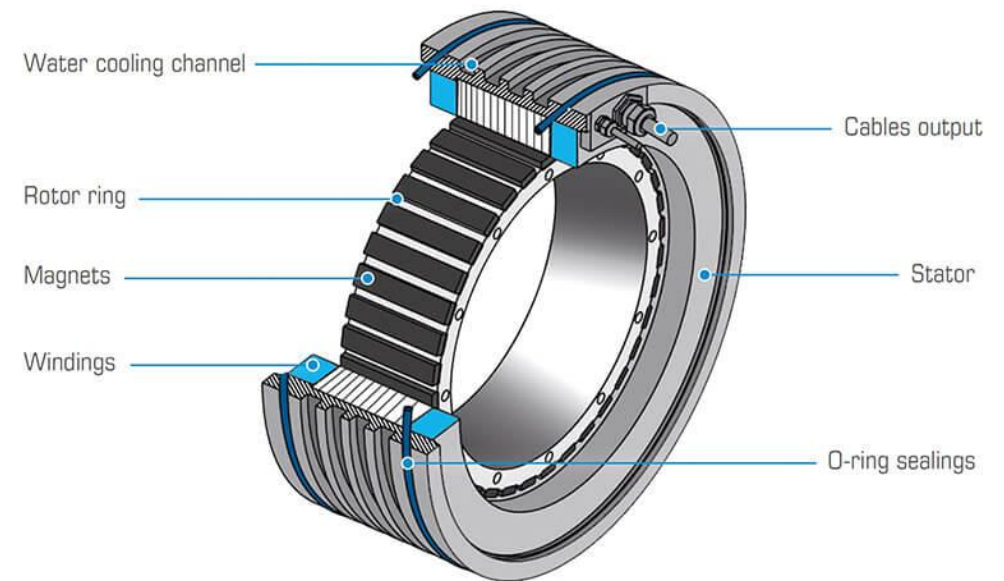


Single-phase motors provide a pulsating torque to a mechanical load. Loads which require more than 10 horsepower generally also require the steadier torque of a 3-phase motor.

3 PHASE INDUCTION MOTOR

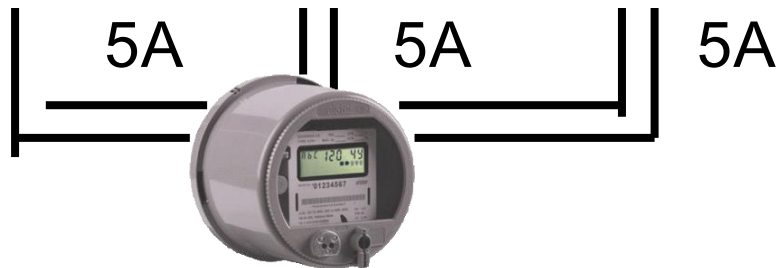
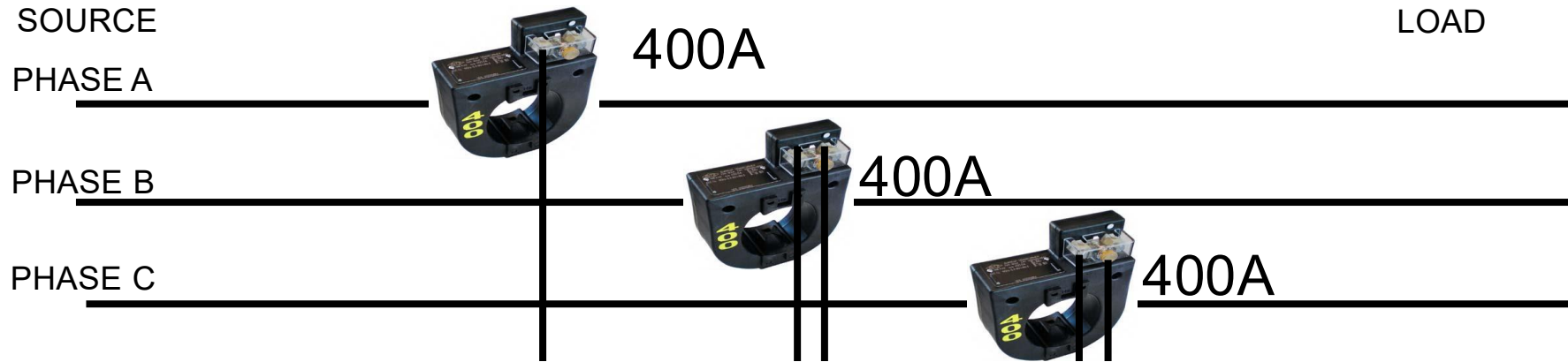


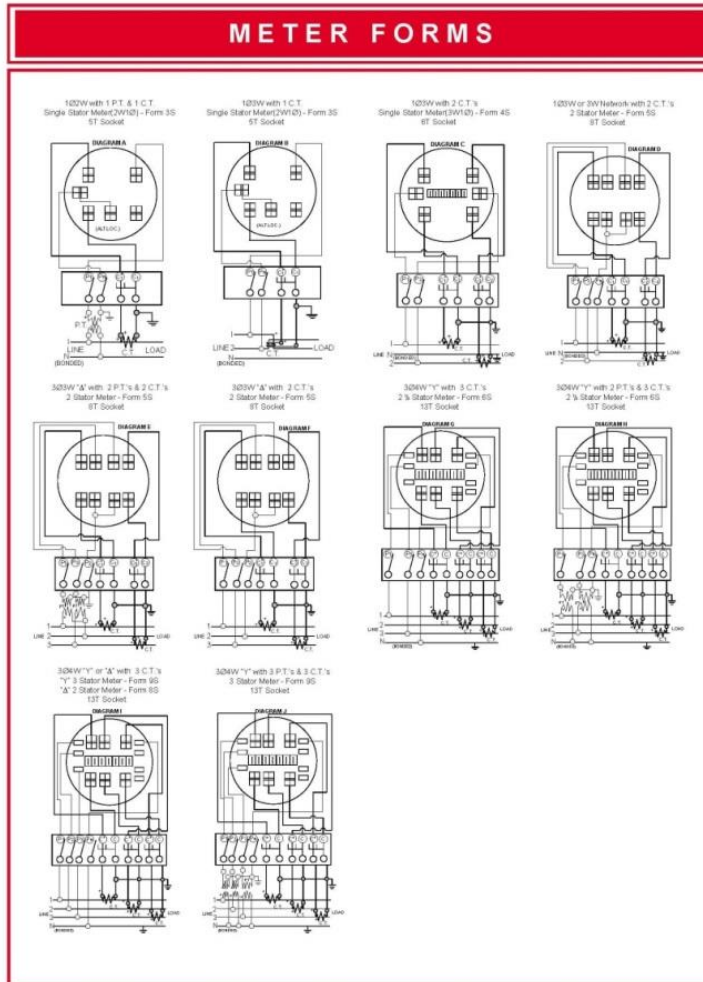
- ✓ Steadier motor torque
- ✓ Less vibration in machinery
- ✓ Greater mechanical efficiency
- ✓ Better voltage regulation
- ✓ Lower heat losses
- ✓ Lighter weight conductors



Transformer Rated - The Basic Components

9S Meter Installation with 400:5 CT's



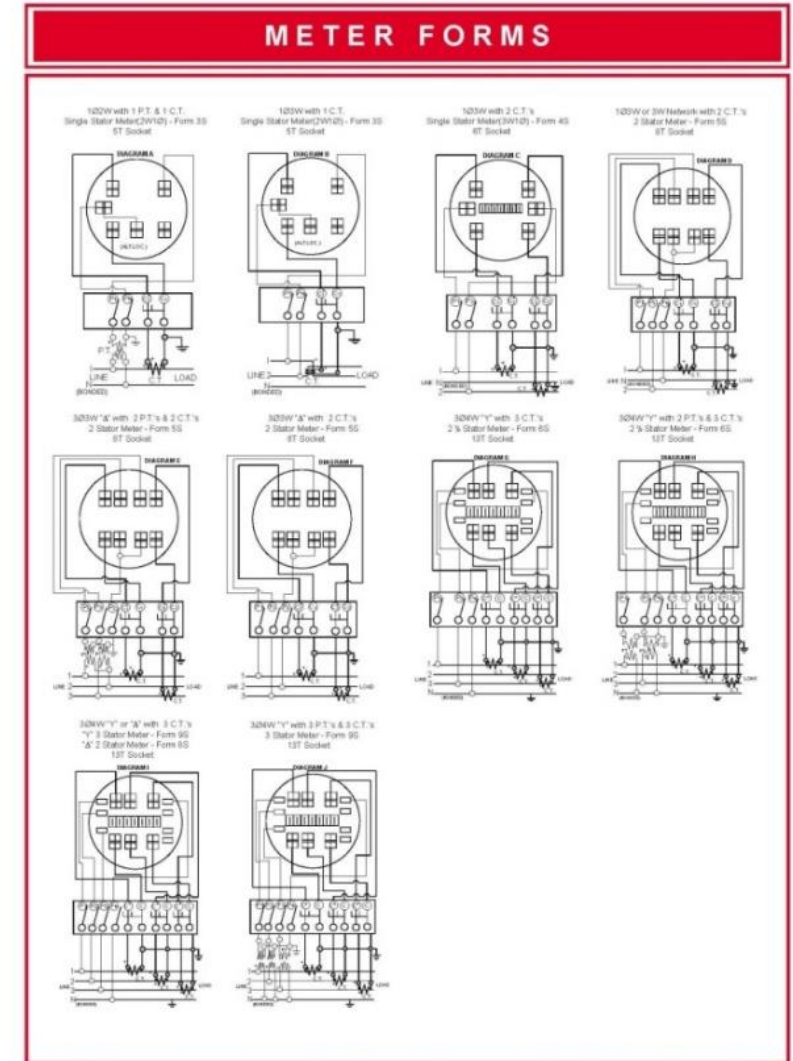


Typical Connections for Common Transformer (Instrument) Rated Meter Forms

Note: See Chapter 4 of the Power Measurement Handbook for more detailed form by form information

Selecting the right meter form

- Select the meter form based on the source, not the load.
 - The “service type” is not always obvious.
 - Loads other than the “known” load can be connected and may be unmetered.
- Meter form numbers describe certain meter characteristics not the service or application
- Consider that *ground* can be a current carrying conductor when applying Blondel’s Theorem.
- Understand the operation of present day, polyphase solid state meters and how they may be used to advantage



Three Phase Power: Blondel's Theorem

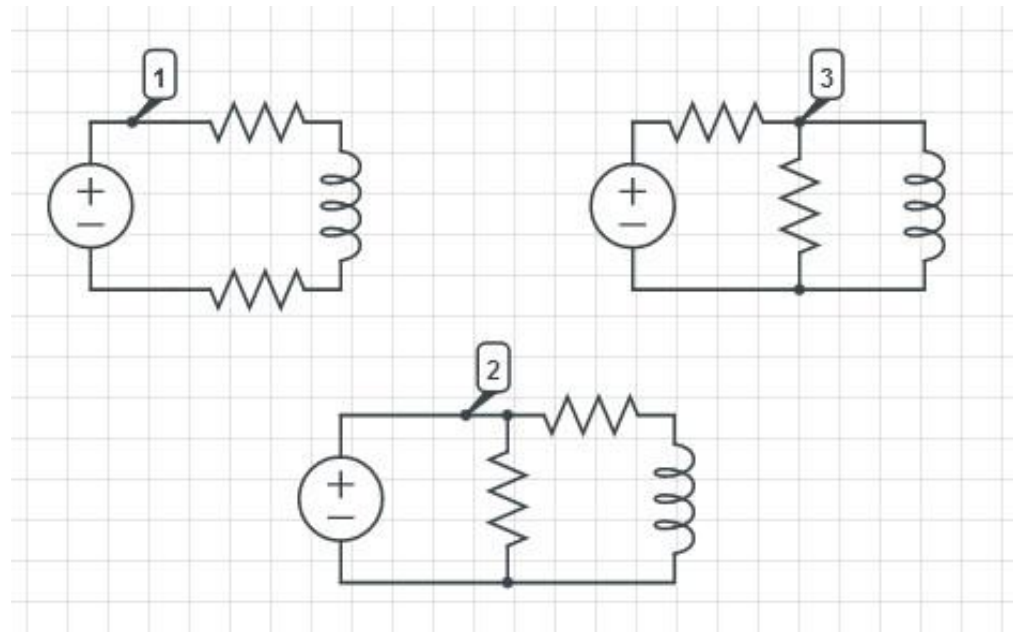
The theory of polyphase watt-hour metering was first set forth on a scientific basis in 1893 by Andre E. Blondel, engineer and mathematician. His theorem applies to the measurement of real power in a polyphase system of any number of wires. The theorem is as follows:

- If energy is supplied to any system of conductors through N wires, the total power in the system is given by the algebraic sum of the readings of N wattmeters, so arranged that each of the N wires contains one current coil, the corresponding voltage coil being connected between that wire and some common point. If this common point is on one of the N wires, the measurement may be made by the use of $N-1$ wattmeters.



Three Phase Power: Blondel's Theorem

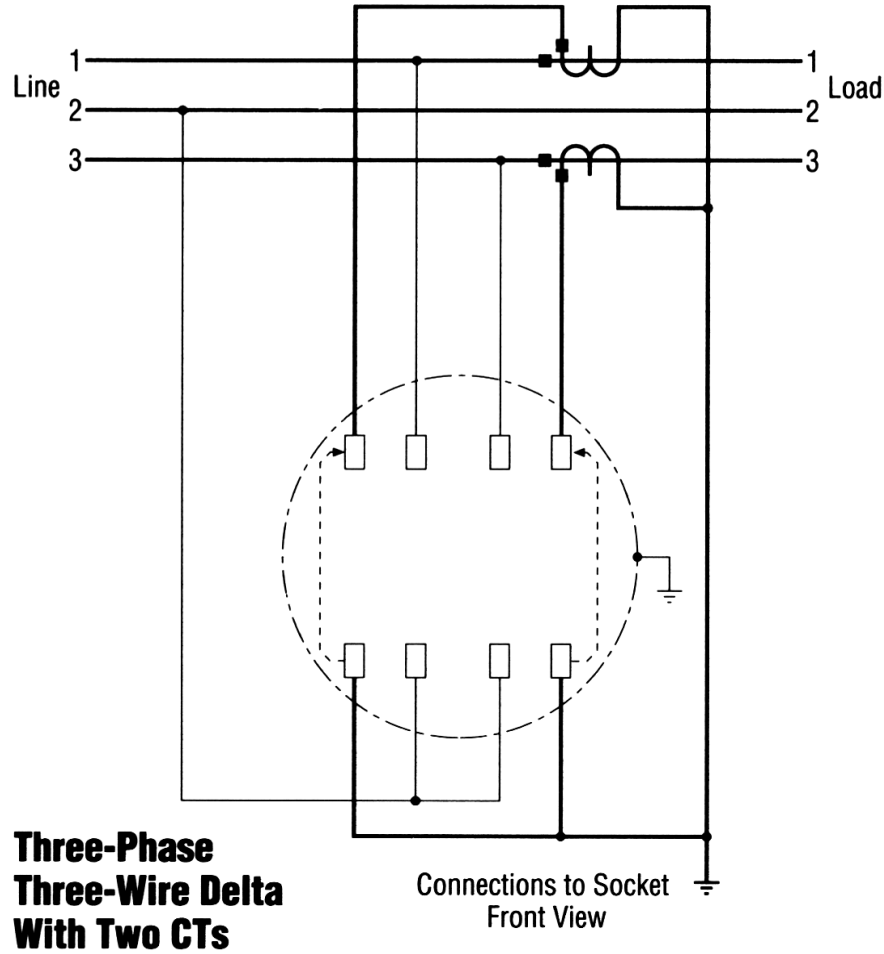
- Simply – We can measure the power in a N wire system by measuring the power in N-1 conductors.
- For example, in a 4-wire, 3-phase system we need to measure the power in 3 circuits.



Three Phase Power: Blondel's Theorem

- If a meter installation meets Blondel's Theorem then we will get accurate power measurements under all circumstances.
- If a metering system does not meet Blondel's Theorem then we will only get accurate measurements if certain assumptions are met.

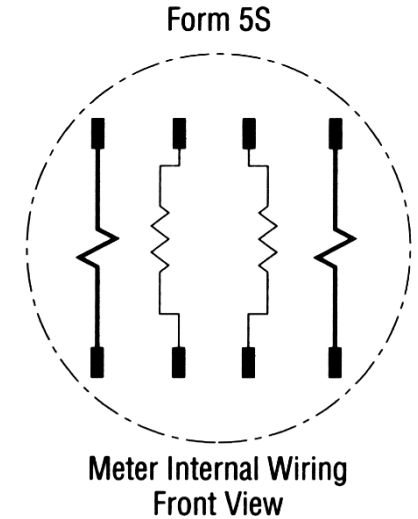


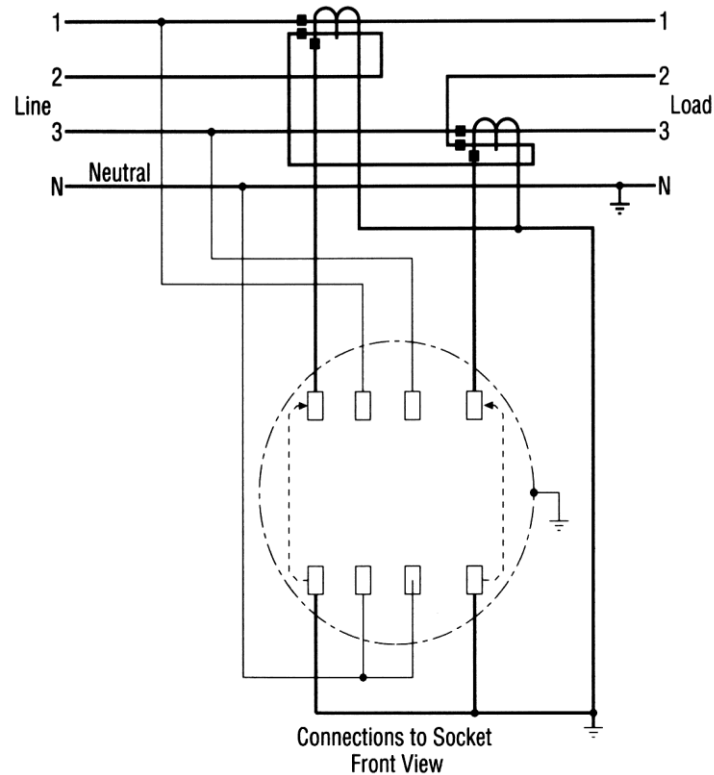


**Three-Phase
Three-Wire Delta
With Two CTs**

- Three wires
- Two voltage measurements with one side common to Line 2
- Current measurements on lines 1 & 3.

This satisfies Blondel's Theorem.

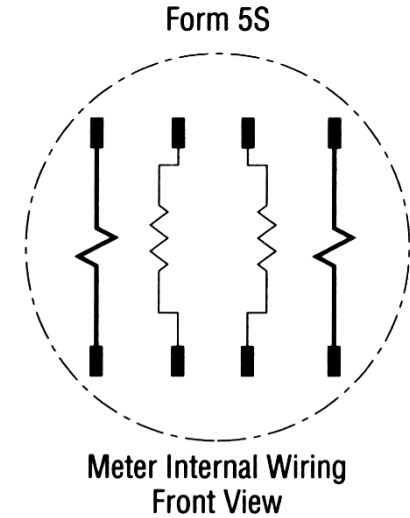




**Three-Phase
Four-Wire Wye
With Two Equal-Ratio CTs**

- Four wires
- Two voltage measurements to neutral
- Current measurements on lines 1 & 3.
How about line 2?

This DOES NOT satisfy Blondel's Theorem.



- In the previous example:
 - What are the “ASSUMPTIONS”?
 - When do we get errors?
- What would the “Right Answer” be?

$$P_{sys} = V_a I_a \cos(\theta_a) + V_b I_b \cos(\theta_b) + V_c I_c \cos(\theta_c)$$

- What did we measure?

$$P_{sys} = V_a [I_a \cos(\theta_a) - I_b \cos(\theta_b)] + V_c [I_c \cos(\theta_c) - I_b \cos(\theta_b)]$$



- Phase B power would be:
 - $P = V_b I_b \cos\theta$
- But we aren't measuring V_b
- What we are measuring is:
 - $I_b V_a \cos(60 - \theta) + I_b V_c \cos(60 + \theta)$
- $\cos(\alpha + \beta) = \cos(\alpha)\cos(\beta) - \sin(\alpha)\sin(\beta)$
- $\cos(\alpha - \beta) = \cos(\alpha)\cos(\beta) + \sin(\alpha)\sin(\beta)$
- So



- $P_b = I_b V_a \cos(60 - \theta) + I_b V_c \cos(60 + \theta)$
- Applying the trig identity
 - $I_b V_a (\cos(60)\cos(\theta) + \sin(60)\sin(\theta))$
 $I_b V_c (\cos(60)\cos(\theta) - \sin(60)\sin(\theta))$
 - $I_b (V_a + V_c) 0.5 \cos(\theta) + I_b (V_c - V_a) 0.866 \sin(\theta)$
- Assuming
 - Assume $V_b = V_a = V_c$
 - And, they are exactly 120° apart
- $P_b = I_b (2V_b) (0.5 \cos \theta) = I_b V_b \cos \theta$



**HAPPINESS IS
ASSUMING THE
WORLD IS LINEAR**

- If $V_a \neq V_b \neq V_c$ then the error is
- %Error =

$$-I_b \left\{ \frac{(V_a + V_c)}{2V_b} - \frac{(V_a - V_c) 0.866 \sin(\theta)}{V_b \cos(\theta)} \right\}$$
- How big is this in reality? If
 - $V_a=117, V_b=120, V_c=119, PF=1$ then $E=-1.67\%$
 - $V_a=117, V_b=116, V_c=119, PF=.866$ then $E=-1.67\%$



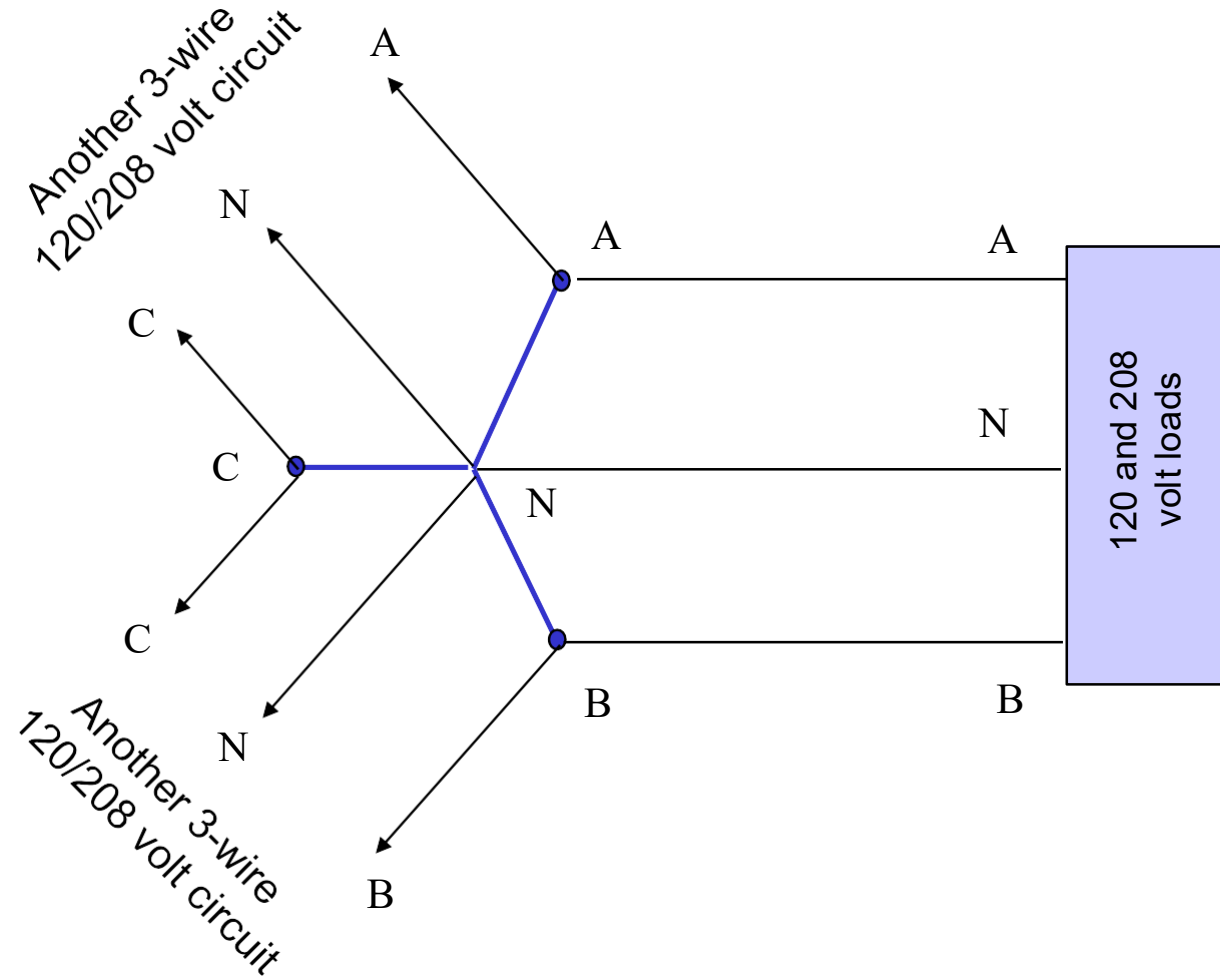
Power Measurements Handbook

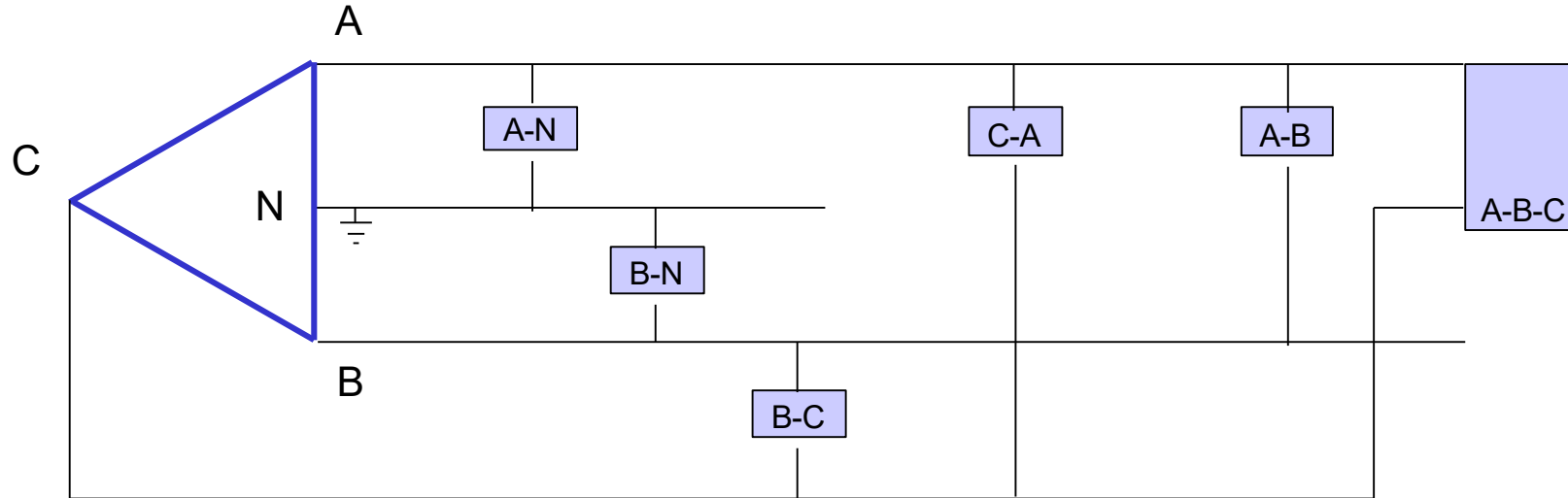
| Condition | % V | % I | Phase A | | | | Phase B | | | | non-Blondel |
|---------------------------------------|-----|-----|---------|--------------|-----|--------------|---------|--------------|-----|--------------|-------------|
| | lmb | lmb | V | ϕ_{van} | I | ϕ_{ian} | V | ϕ_{vbn} | I | ϕ_{ibn} | % Err |
| All balanced | 0 | 0 | 120 | 0 | 100 | 0 | 120 | 180 | 100 | 180 | 0.00% |
| Unbalanced voltages PF=1 | 18% | 0% | 108 | 0 | 100 | 0 | 132 | 180 | 100 | 180 | 0.00% |
| Unbalanced current PF=1 | 0% | 18% | 120 | 0 | 90 | 0 | 120 | 180 | 110 | 180 | 0.00% |
| Unbalanced V&I PF=1 | 5% | 18% | 117 | 0 | 90 | 0 | 123 | 180 | 110 | 180 | -0.25% |
| Unbalanced V&I PF=1 | 8% | 18% | 110 | 0 | 90 | 0 | 120 | 180 | 110 | 180 | -0.43% |
| Unbalanced V&I PF=1 | 8% | 50% | 110 | 0 | 50 | 0 | 120 | 180 | 100 | 180 | -1.43% |
| Unbalanced V&I PF=1 | 18% | 40% | 108 | 0 | 75 | 0 | 132 | 180 | 125 | 180 | -2.44% |
| Unbalanced voltages PF≠1 PFa = PFb | 18% | 0% | 108 | 0 | 100 | 30 | 132 | 180 | 100 | 210 | 0.00% |
| Unbalanced current PF≠1 PFa = PFb | 0% | 18% | 120 | 0 | 90 | 30 | 120 | 180 | 110 | 210 | 0.00% |
| Unbalanced V&I PF≠1 PFa = PFb | 18% | 18% | 108 | 0 | 90 | 30 | 132 | 180 | 110 | 210 | -0.99% |
| Unbalanced V&I PF≠1 PFa = PFb | 18% | 40% | 108 | 0 | 75 | 30 | 132 | 180 | 125 | 210 | -2.44% |
| Unbalanced voltages PF≠1 PFa ≠ PFb | 18% | 0% | 108 | 0 | 100 | 60 | 132 | 180 | 100 | 210 | -2.61% |
| Unbalanced current PF≠1 PFa ≠ PFb | 0% | 18% | 120 | 0 | 90 | 60 | 120 | 180 | 110 | 210 | 0.00% |
| Unbalanced V&I PF≠1 PFa ≠ PFb | 18% | 18% | 108 | 0 | 90 | 60 | 132 | 180 | 110 | 210 | -3.46% |
| Unbalanced V&I PF≠1 PFa ≠ PFb | 18% | 40% | 108 | 0 | 75 | 60 | 132 | 180 | 125 | 210 | -4.63% |



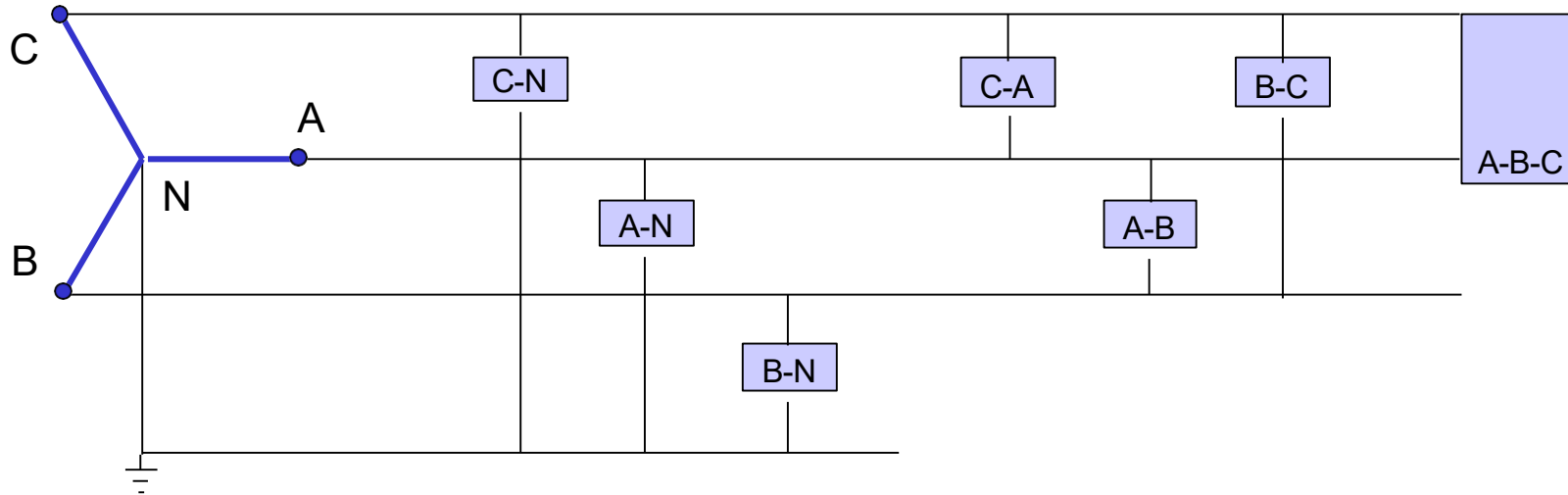
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Network Service & Loads





Need to meter single phase line-neutral and line-line loads, as well as three phase loads. For self contained a Form 16 network meter and Transformer rated a 9S meter. We need to be Blondel Compliant and use a three-element meter. Note: For electro-mechanicals common practice was a Form 15S which was not Blondel compliant. Similarly, a 5S is not Blondel compliant for these services.



Need to meter single phase line-neutral and line-line loads, as well as three phase loads. Use a Form 16 Network meter and a Form 9S Current Meter.

Meter Accuracy Testing in a Nutshell



- ✓ Full Load
- ✓ Light Load
- ✓ Power Factor

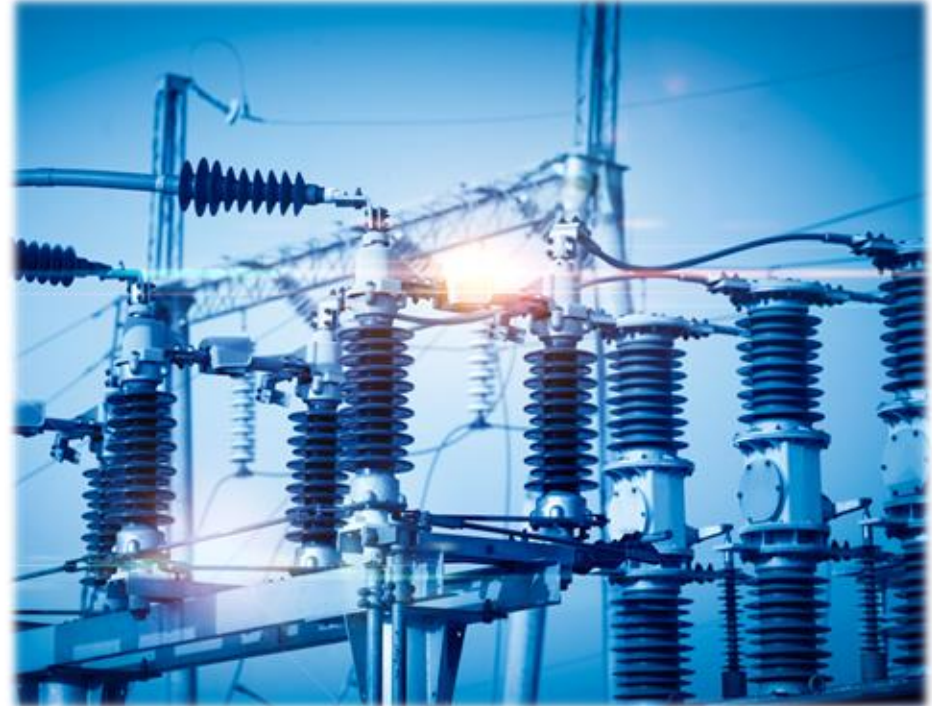


- One transformer in three wired backwards will give the customer a bill of $1/3^{\text{rd}}$ the actual bill.
- One broken wire to a single transformer will give the customer a bill of $2/3^{\text{rd}}$ the actual bill
- One dual ratio transformer inappropriately marked in the billing system as 400:5 instead of 800:5 provides a bill that is $1/2$ of the actual bill. And the inverse will give a bill double of what should have been sent. Both are lose-lose situations for the utility.



The Importance of CT Testing in the Field (cont)

- Cross Phasing (wiring errors)
- Loose or Corroded Connections
- CT Mounted Backwards
- CT's with Shorted Turns
- Wrong Selection of Dual Ratio CT
- Detect Magnetized CT's
- Burden Failure in Secondary Circuit
- Open or Shorted Secondary
- Mislabeled CT's
- Ensures all Shorting Blocks have been Removed

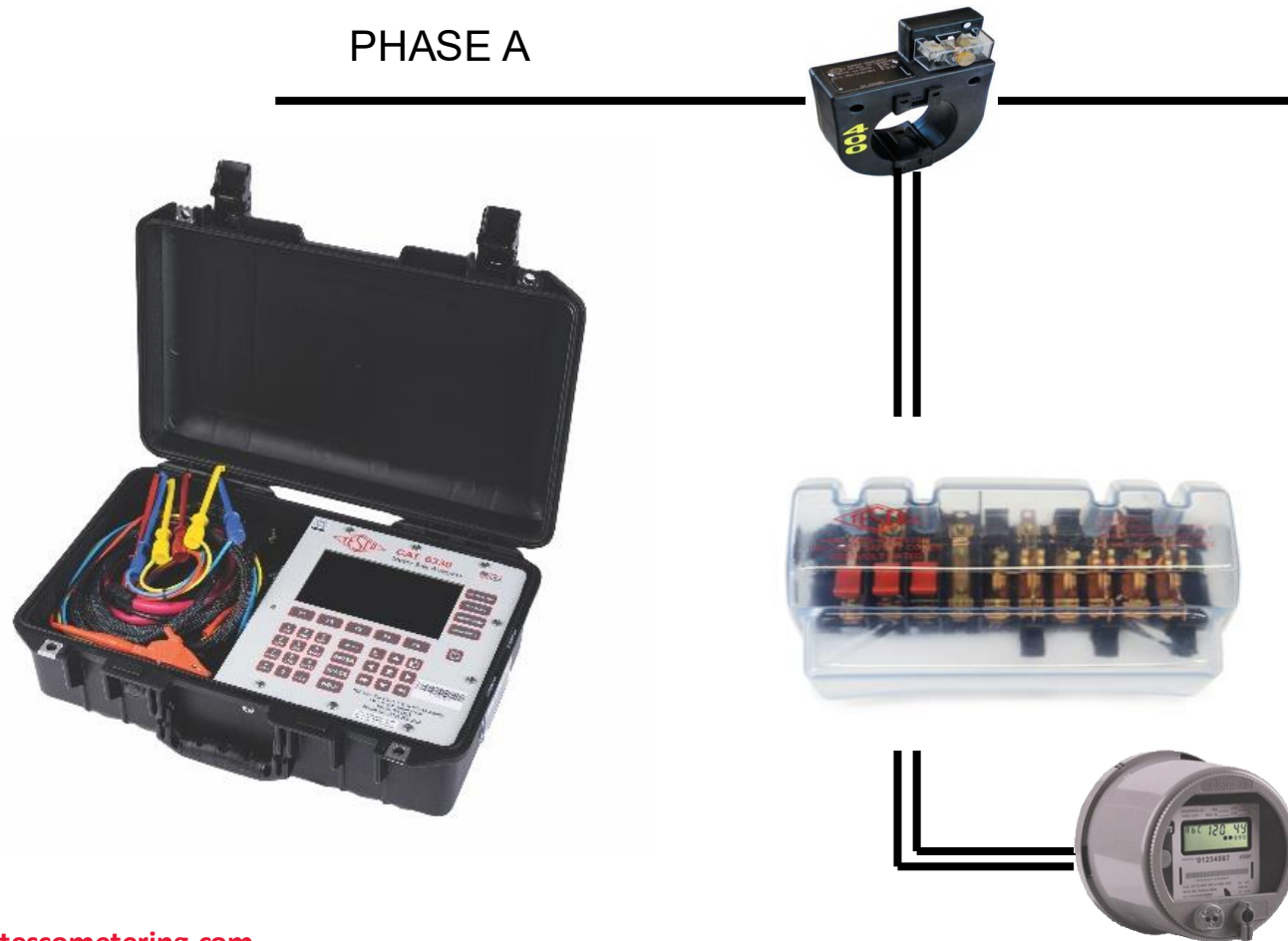


Testing at Transformer Rated Sites

- ✓ Meter Accuracy
- ✓ Full Load
- ✓ Light Load
- ✓ Power Factor
- ✓ CT Health
- ✓ Burden Testing
- ✓ Ratio Testing
- ✓ Admittance Testing
- ✓ Site Verification

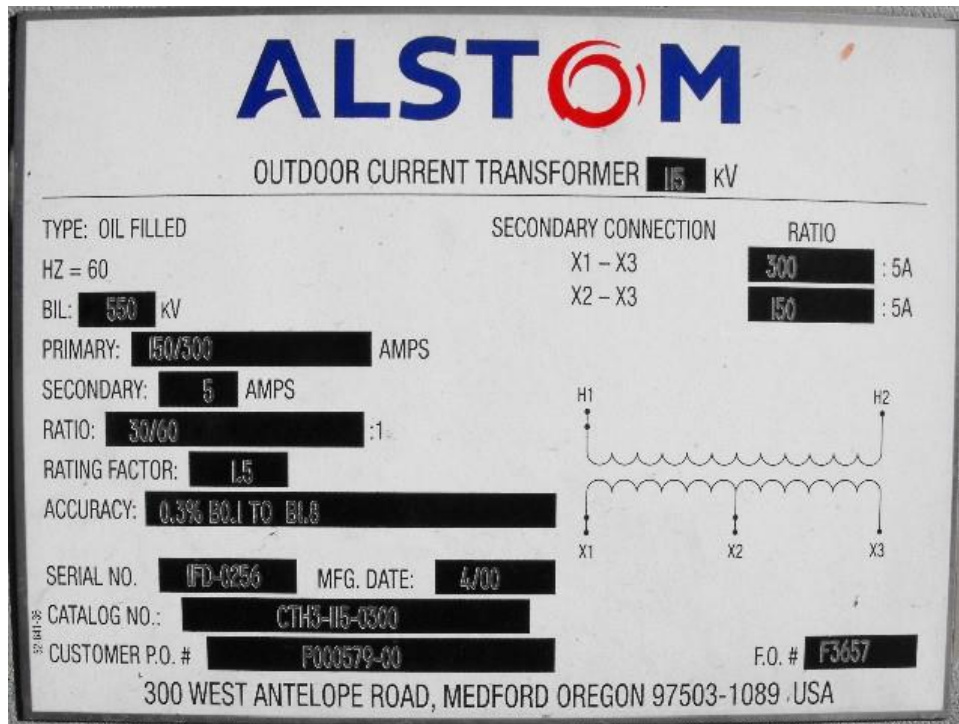
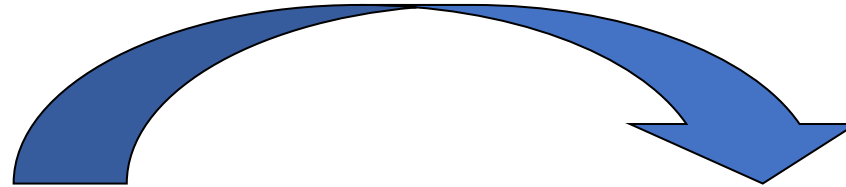


Functionality with Burden Present on the Secondary Loop

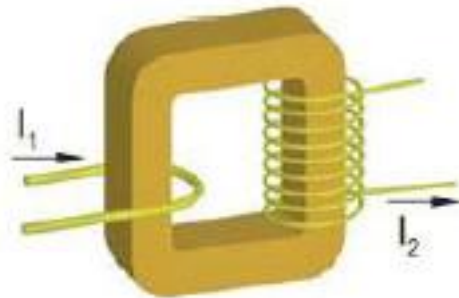
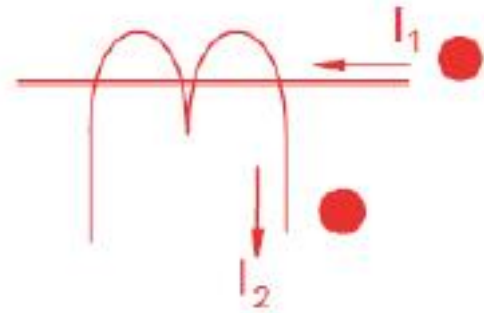


- Some burden will always be present – junctions, meter coils, test switches, cables, etc.
- CT's must be able to maintain an accurate ratio with burden on the secondary.
- Admittance testing?

Functionality with Burden Present on the Secondary Loop

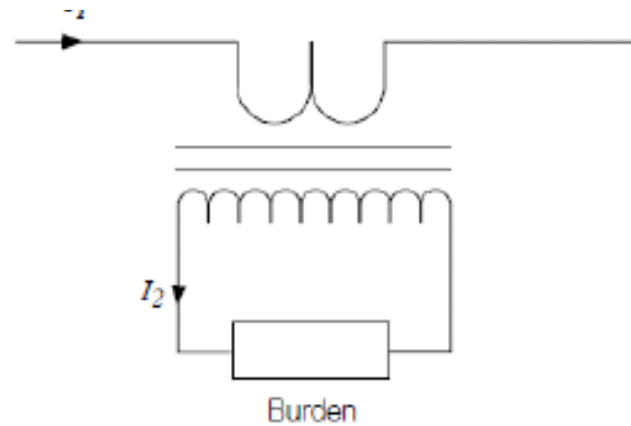


Example Burden Spec:
 0.3% @ B0.1, B0.2, B0.5
 or
 There should be less than the 0.3% change in secondary current from initial ("0" burden) reading, when up to 0.5 Ohms of burden is applied

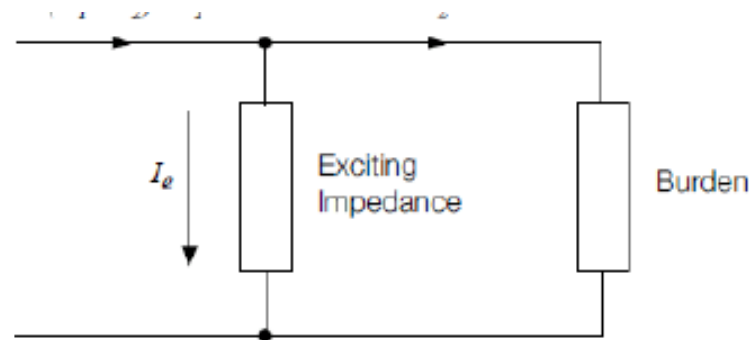


$$I_1 \times N_1 = I_2 \times N_2$$

Ideal. No losses



$$I_2 = \frac{N_1}{N_2} \times I_1$$

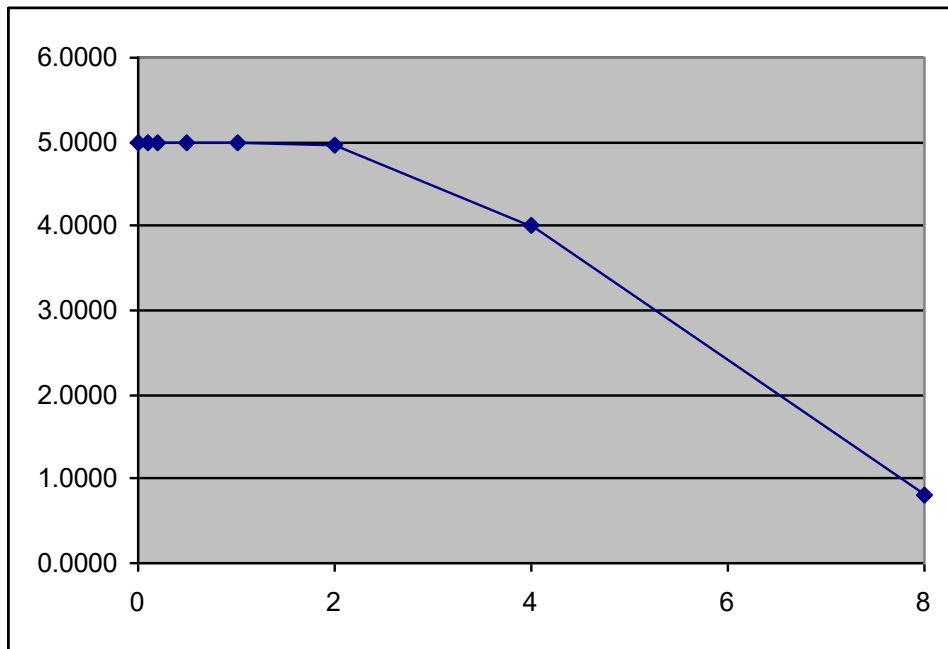


$$I_2 = \frac{N_1}{N_2} \times I_1 - I_e$$

Real, with core losses

Functionality with Burden Present on the Secondary Loop

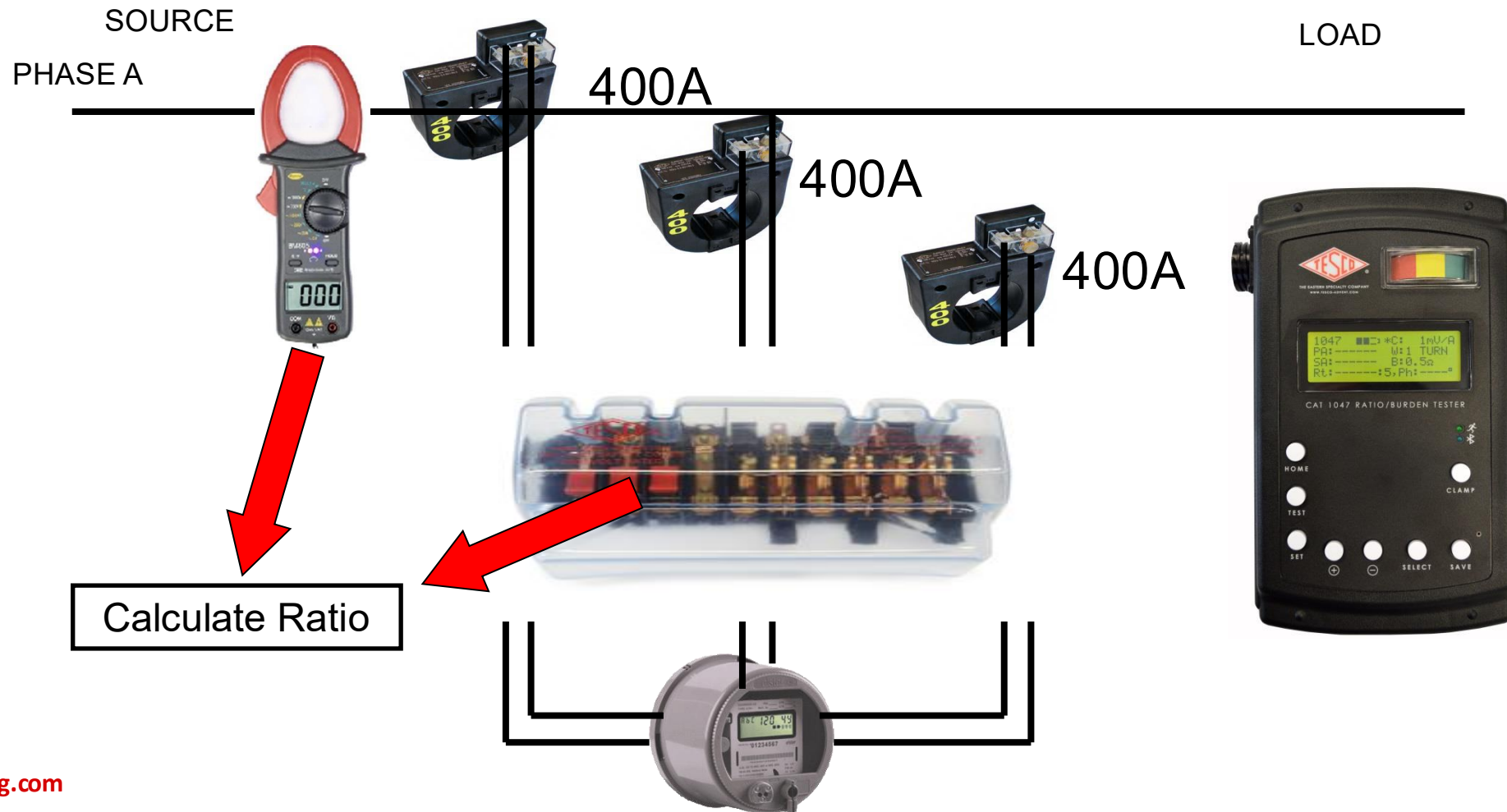
0.3% @ B0.1, B0.2, B0.5



Initial Reading = 5Amps
 $0.3\% \times 5A = 0.015A$
 $5A - 0.015 = 4.985A$

| Burden | Reading |
|--------|---------|
| 0 | 5.0000 |
| 0.1 | 4.9999 |
| 0.2 | 4.9950 |
| 0.5 | 4.9900 |
| 1 | 4.9800 |
| 2 | 4.9500 |
| 4 | 4.0000 |
| 8 | 0.8000 |

Ratio of Primary Current to Secondary Current



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